Index of Claims

Application No.

Applicant(s)

09/767,959

CUNNINGHAM ET AL. Art Unit

Examiner

Jacob Y Choi

2875

Rejected Allowed

(Through numeral) Cancelled

Non-Elected N

Appeal Α

Restricted

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